|  | Charity Fair | Rubric |  |
| :---: | :---: | :---: | :---: |
|  |  | Points | Section points |
| 1. | Gives correct answer: $\frac{\mathbf{1}}{\mathbf{1 6}}$ <br> Shows work such as: <br> probability $($ all red $)=(1 / 4)^{3}=1 / 64$ <br> probability $($ all the same color $)=4 \times(1 / 64)=1 / 16$ | 1 <br> 1 | 2 |
| 2. | Gives correct answer: No <br> and <br> May show that: <br> If 16 people play once, they pay $16 \times 25 \phi=\$ 4$ <br> On average, 1 person wins $\$ 5$ <br> So the charity loses. $\quad(\$ 4-\$ 5=-\$ 1)$ <br> Accept alternative correct reasoning | 2 ft | 2 |
| 3. | Suggests changes such as: <br> Change 1 <br> Have more colors, say 5. <br> Calculates $\operatorname{prob}($ all the same color $)=5 \times(1 / 5)^{3}=1 / 25$ <br> States that if 25 people play once, the charity gains. $(\$ 6.25-\$ 5=\$ 1.25)$ | $\begin{aligned} & 1 \\ & 1 \\ & 1 \end{aligned}$ | 3 |
|  | Change 2 <br> Have more barrels, say 4. <br> $\operatorname{prob}($ all the same color $)=4 \times(1 / 4)^{4}=1 / 64$ <br> If 64 people play, the charity gains. $(\$ 16-\$ 5=\$ 11)$ | $\begin{gathered} \text { or } \\ 1 \\ 1 \\ 1 \end{gathered}$ | or $3$ |
|  | Change 3 <br> Increase the price to 50 cents If 16 people play once, the charity gains. $(\$ 8-\$ 5=\$ 3)$ <br> Alternatively, decrease the amount won from, say, $\$ 5$ to $\$ 3$. If 16 people play once, the charity gains. $(\$ 4-\$ 3=\$ 1)$ | $\begin{gathered} \text { or } \\ 1 \\ 1 \\ 1 \end{gathered}$ | or $3$ |
|  | Total Points | max | 10 |

